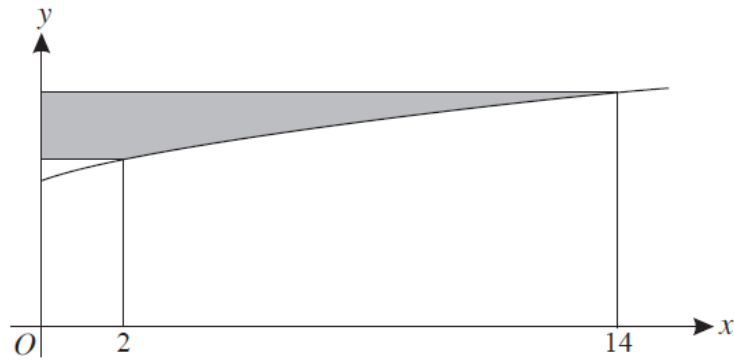


**Area Between a Curve and the y-Axis**

**Q1, (OCR 4722, Jun 2008, Q5)**



The diagram shows the curve  $y = 3 + \sqrt{x+2}$ .

The shaded region is bounded by the curve, the  $y$ -axis, and two lines parallel to the  $x$ -axis which meet the curve where  $x = 2$  and  $x = 14$ .

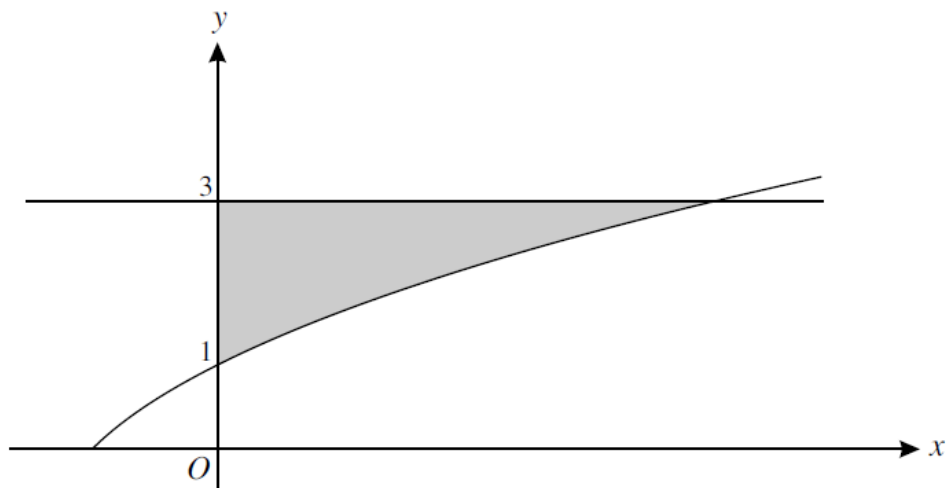
(i) Show that the area of the shaded region is given by

$$\int_5^7 (y^2 - 6y + 7) \, dy. \quad [3]$$

(ii) Hence find the exact area of the shaded region. [4]

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**Q2, (OCR 4722, Jun 2011, Q4)**

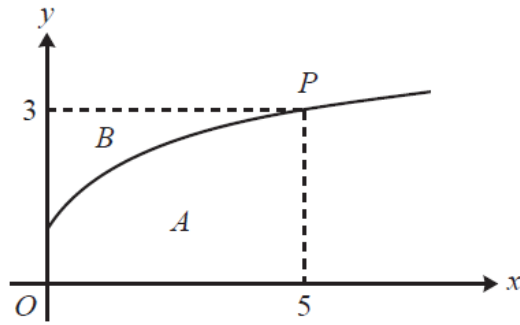


The diagram shows the curve  $y = -1 + \sqrt{x+4}$  and the line  $y = 3$ .

(i) Show that  $y = -1 + \sqrt{x+4}$  can be rearranged as  $x = y^2 + 2y - 3$ . [2]

(ii) Hence find by integration the exact area of the shaded region enclosed between the curve, the  $y$ -axis and the line  $y = 3$ . [5]

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The diagram shows part of the curve  $y = -3 + 2\sqrt{x+4}$ . The point  $P(5, 3)$  lies on the curve. Region  $A$  is bounded by the curve, the  $x$ -axis, the  $y$ -axis and the line  $x = 5$ . Region  $B$  is bounded by the curve, the  $y$ -axis and the line  $y = 3$ .

- (i) Use the trapezium rule, with 2 strips each of width 2.5, to find an approximate value for the area of region  $A$ , giving your answer correct to 3 significant figures. [3]
- (ii) Use your answer to part (i) to deduce an approximate value for the area of region  $B$ . [2]
- (iii) By first writing the equation of the curve in the form  $x = f(y)$ , use integration to show that the exact area of region  $B$  is  $\frac{14}{3}$ . [7]
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